

# Understand and control of quantum dynamics by pulsed lasers in an ultra-short time scale

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Division of Quantum Condensed Matter Physics

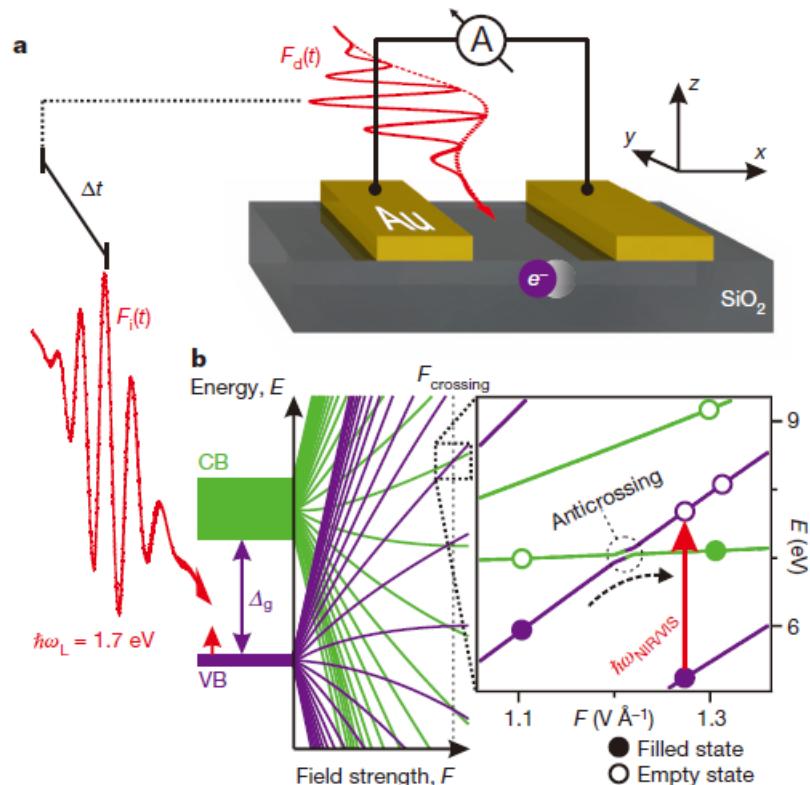


# Outline:

- What we are working on laser-material interactions
  - ***Understand*** the mechanism and ***Control*** material properties
  - ***Built*** a tool to “see” what happens in a quantum system
- Computational Methods
  - Working Equations: Time-dependent Schrodinger equation (PDE)
  - Main structure of the simulation code: how to use GPU effectively
- Examples
  - Mechanism of atomic ionization in mid-infrared laser field
  - Control transparency of a material in attosecond domain
- What we expect from HPC
  - Good support: minimize the work on refactoring the code
  - Easy control on the numerical precision

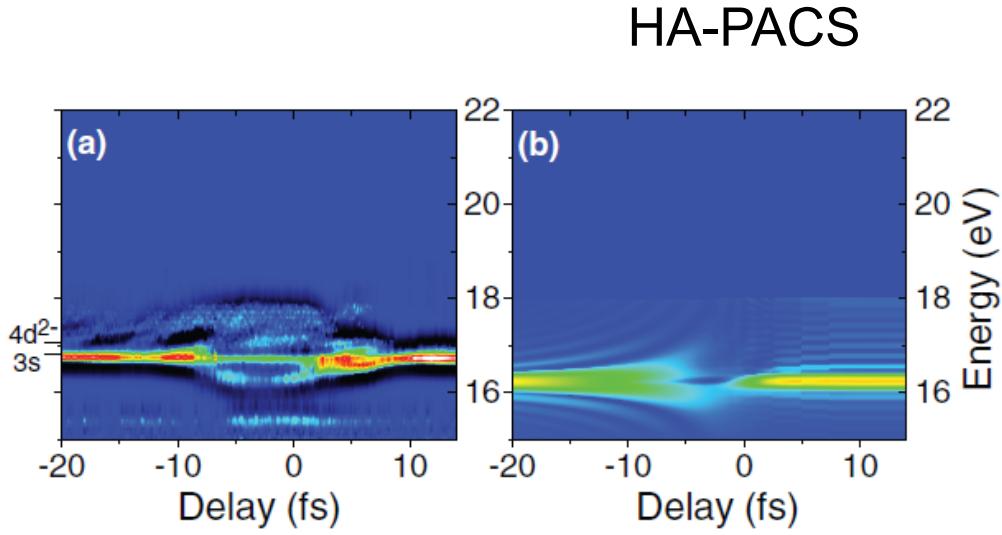
# Our Research Goals:

Control



Insulator → conductor (1 fs)

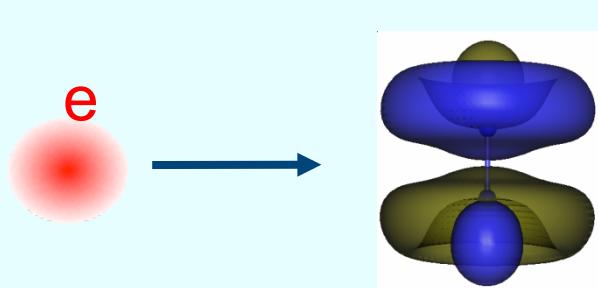
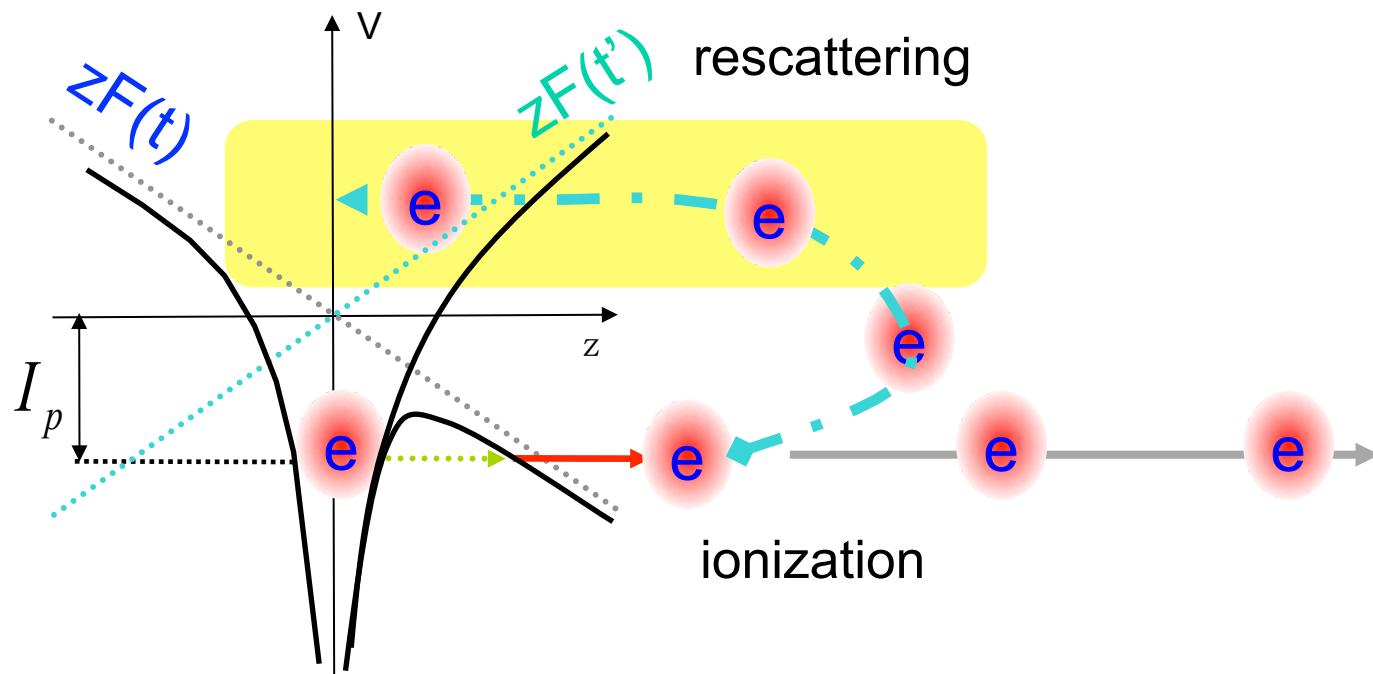
A. Schiffrin, et. al., Nature 493 (2013) 70



PRA 87 (2013) 063413.

1fs: 1,000,000 GHz

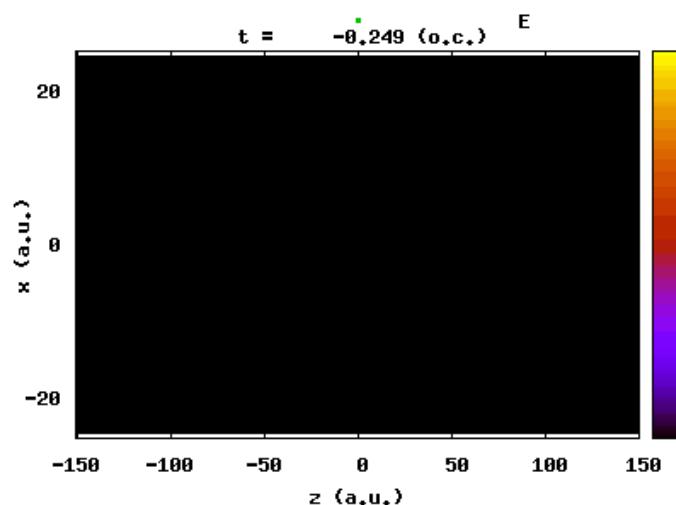
# Our Research Goals: Mechanism



- (a) HHG X-ray laser (Water window)
- (b) Electron microscope

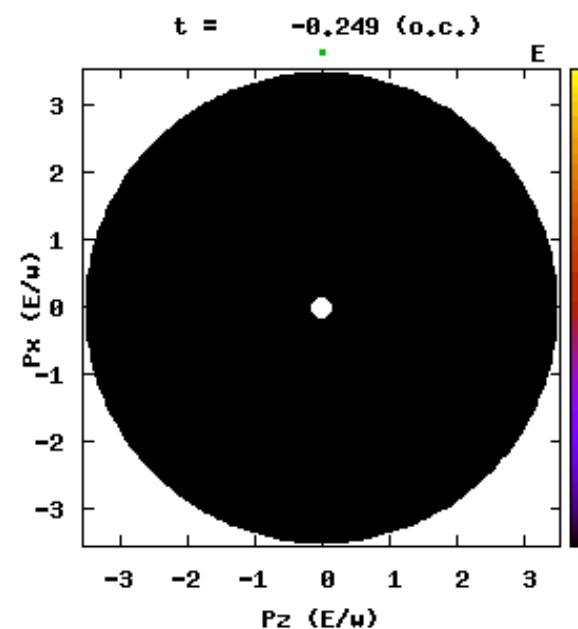
# Rescattering wave-packet

Space



$$|\Psi_j(t)|^2$$

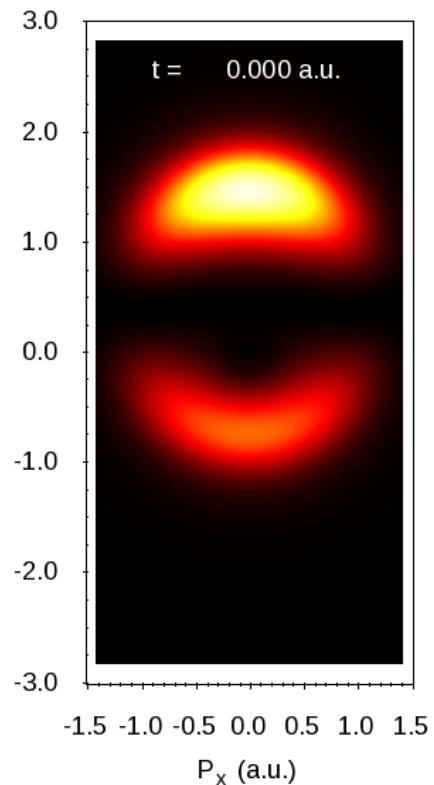
momentum



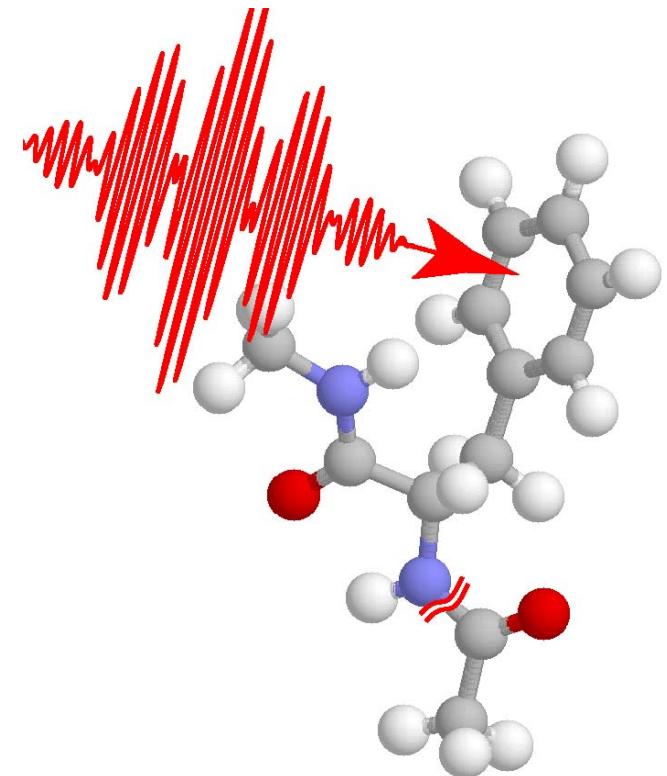
$$\frac{dP(E, \Omega, t)}{dEd\Omega}$$

PRL 99 (2007) 093001.

# Our Research Goals: Mechanism



Optic holography



Electron holography

# Role of Theoretical Simulation

- Explain the experimental observation:
- understand the mechanism: rescattering
- extract the information from experiment: molecular structure
- Search a way to control quantum processes: photoabsorption
- Many more ...

# Theoretical Method: Working Equations

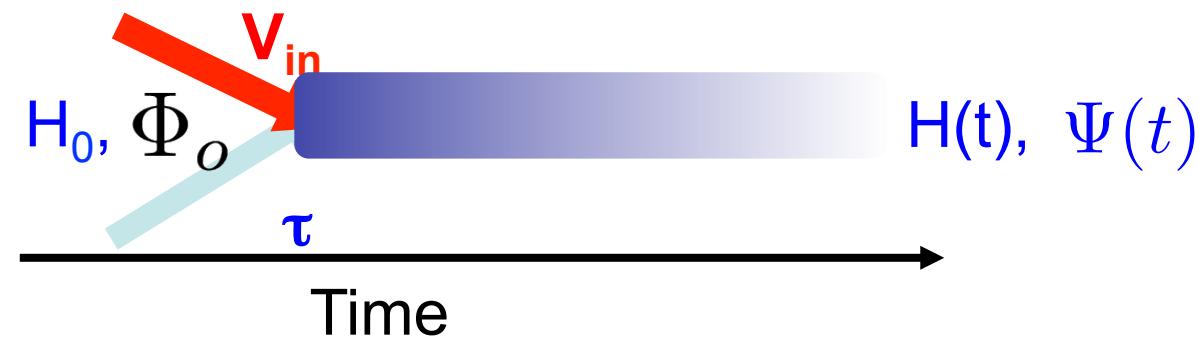
TDSE in differential form

$$i \frac{\partial}{\partial t} \Psi(t) = H(t) \Psi(t) \quad \text{with} \quad \Psi(t = -\infty) = \Phi_0$$

TDSE in integral form



$$\begin{aligned}\Psi(t) &= -i \int_{-\infty}^t e^{-i \int_{\tau}^t H(t') dt'} V_{in}(\tau) e^{-i H_0 \tau} \Phi_0 d\tau + e^{-i H_0 t} \Phi_0 \\ &= -i \int_{-\infty}^t U(t, \tau) V_{in}(\tau) U_0(\tau, -\infty) \Phi_0 d\tau + U_0(t, -\infty) \Phi_0\end{aligned}$$



# Theoretical Method: Time Propagator I

Second order split-operator-method in the energy representation

$$\begin{aligned}\Psi(t + \Delta t) &= U(t + \Delta t, t)\Psi(t) = e^{-iH\Delta t}\Psi(t) \\ &\approx e^{-iH_0\Delta t/2}e^{-iV(t)\Delta t}e^{-iH_0\Delta t/2}\Psi(t) + O(\Delta t^3)\end{aligned}$$

[Chem. Phys. **217** (1997) 119]

Discretize space in pseudo-spectral grid:

$$H_0 = H_{r_i, r_j}^0(\ell), \quad \Psi(r_i, \theta) = \sum_{\ell} R_{\ell}(r_i) Y_{\ell, m}(\hat{\mathbf{r}}), \quad \Psi(r_i, \ell) = R_{\ell}(r_i)$$

Time-propagation → vector, matrix operations → blas

Easy refactor to modern computers, GPU cublas, MIC ??

$$C(i) \leftarrow F[A(i)]^* B(i) \quad ?$$

# Structure of code (machine)

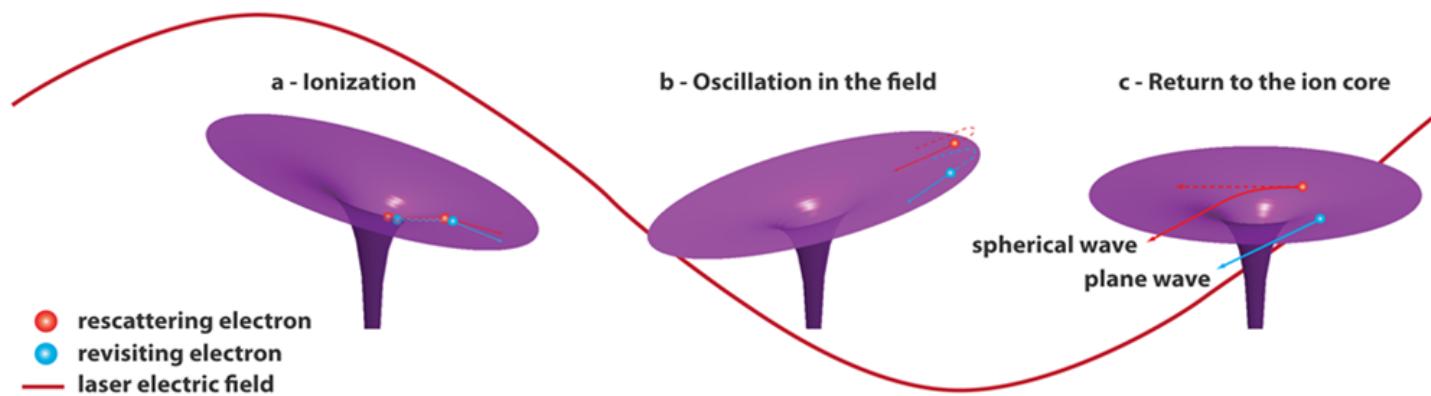
One MPI thread



# Example 1: Mechanism of ATI in mid-IR Field

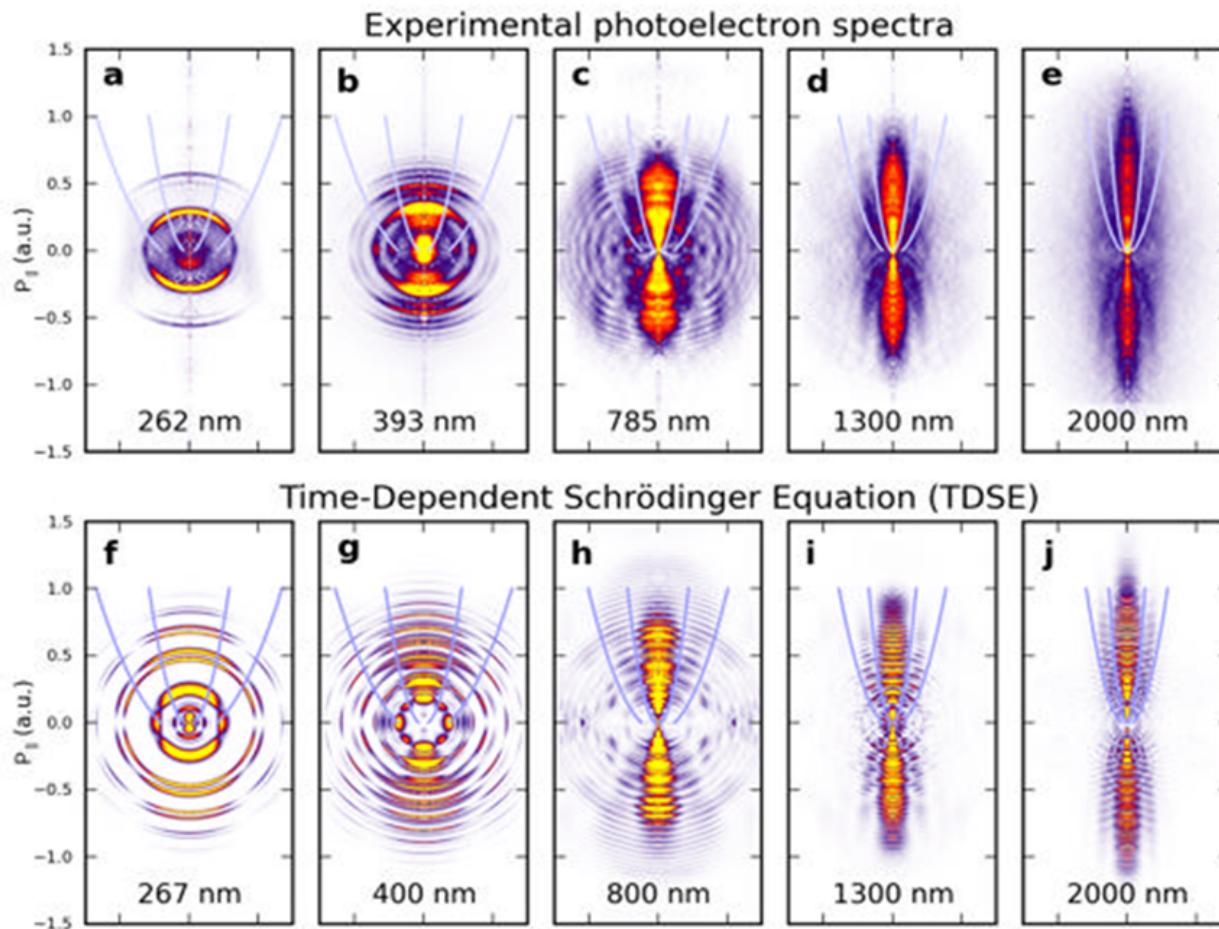
ATI: above-threshold ionization

Physical Process:  $A + n h\nu \rightarrow A^+ + e$



- understand the structure:  
interference between the returning and rescattering electrons
- Information encoded in the structure:  
inner-work: how the electron interacts with the parent core

# Example 1: Mechanism of ATI in mid-IR Field



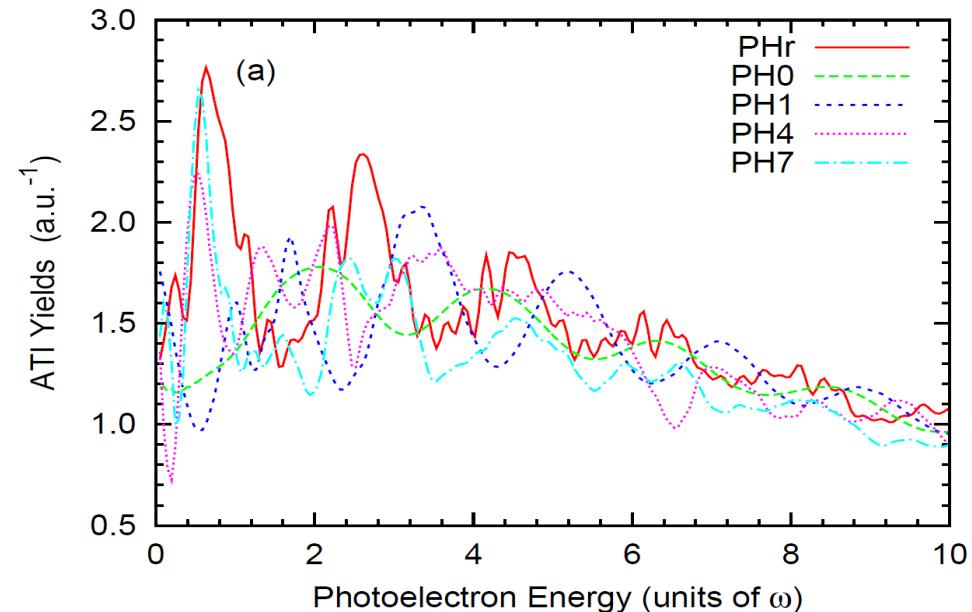
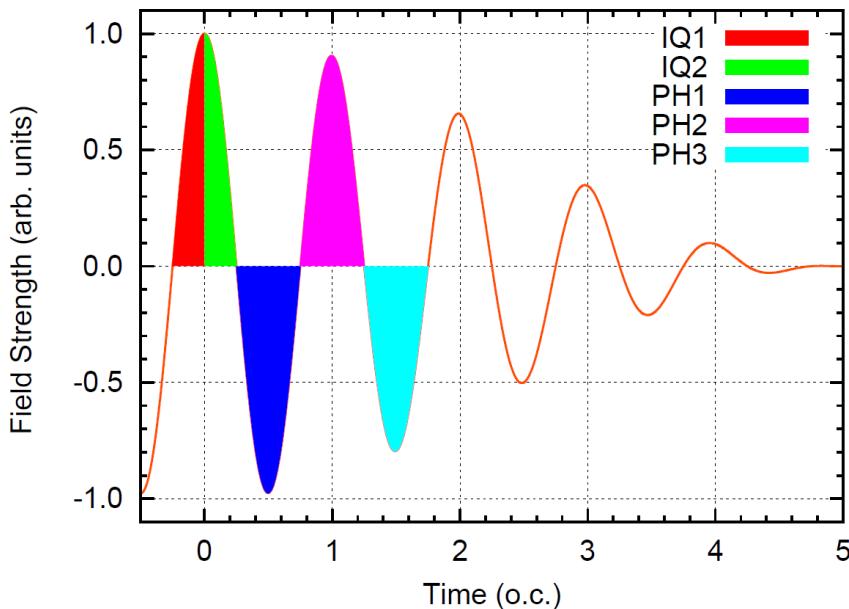
PRL 109 (2012) 073004.

HA-PACS: 5 nodes, 20 hrs

# Example 1: Mechanism of ATI in mid-IR Field

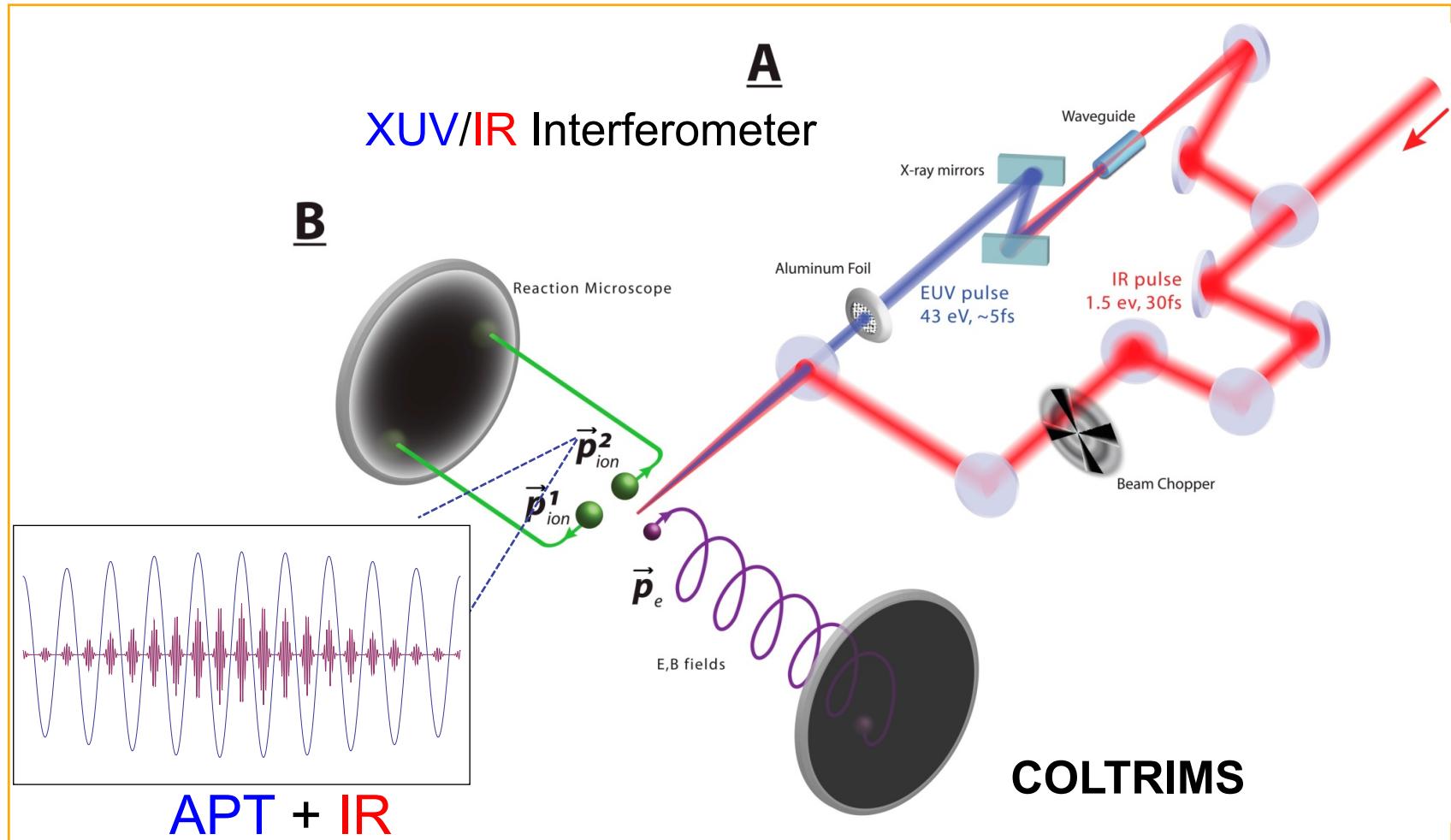
Separate the tunnel ionization from propagation:

$$\Psi_k = U(\infty, t_{k+1}) \int_{t_k}^{t_{k+1}} U(t_{k+1}, t) V_{ext}(t) e^{-iH_0 t} \Psi_0 dt$$

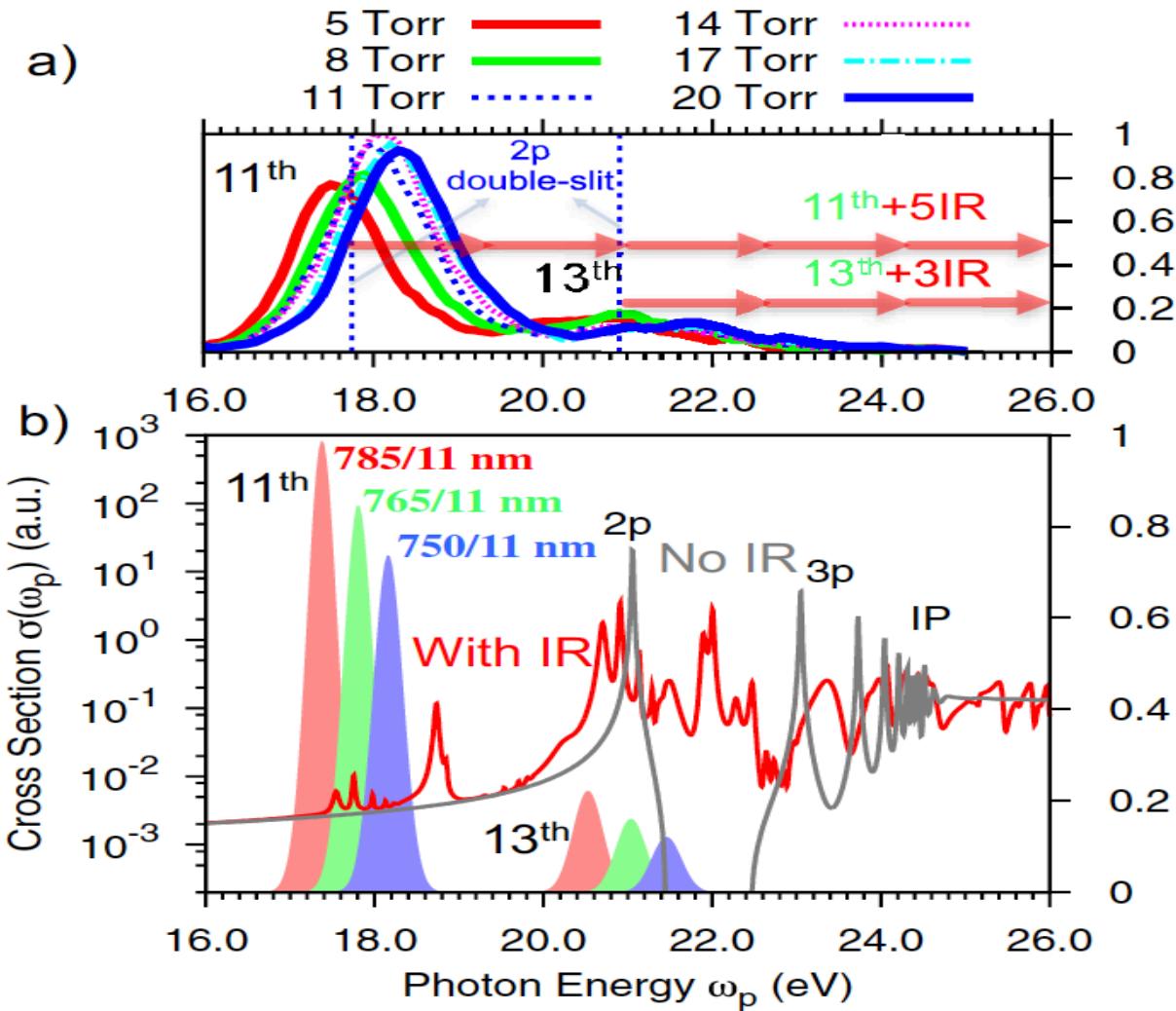


Low Energy Structure comes from multiple re-scattering.

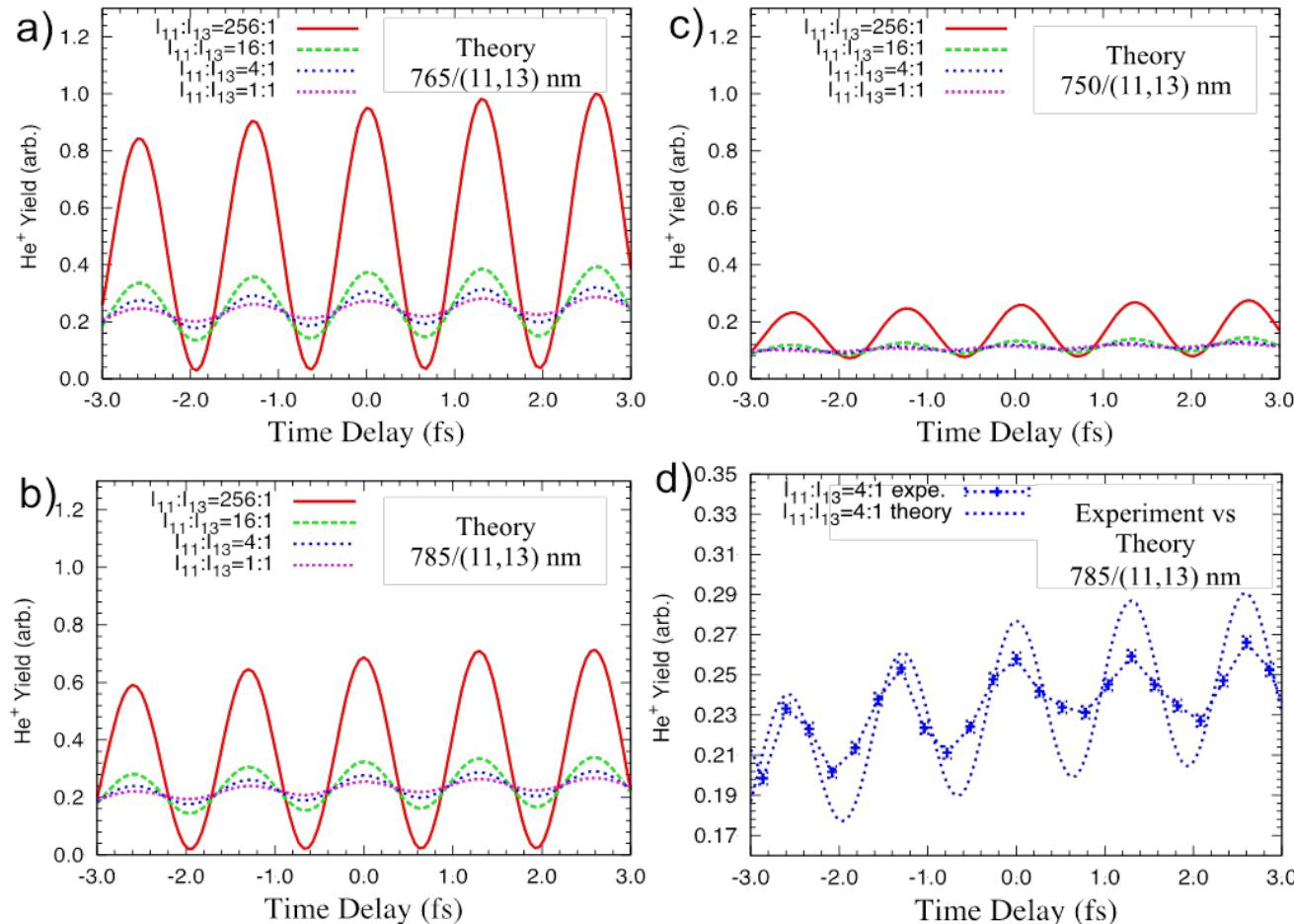
# Control transparency in attosecond time scale



# IR assistant Photoabsorption cross sections



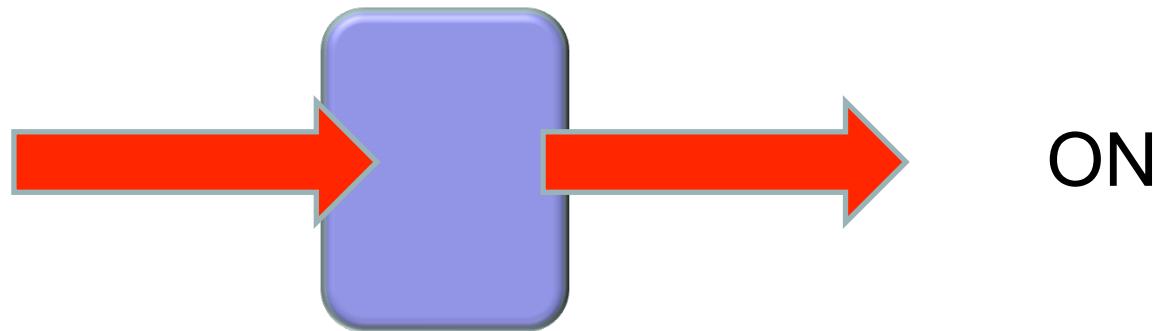
# Control transparency



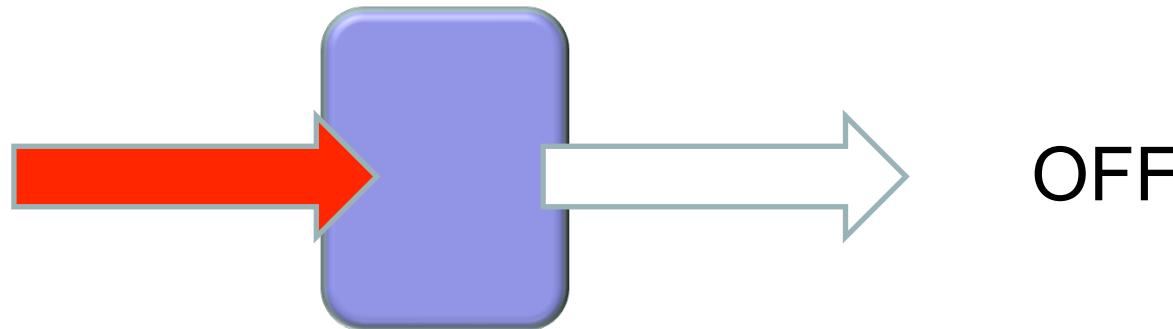
PRL 106 (2011) 193008.

# Applications:

*Generate a super-fast optical switch*



in femto or atto second time domain



# What we expect from HPC

- ✧ A better machine: fast in speed and large in memory
- ✧ Easy to refactor the code: CPU, GPU, MIC ...

$$\bar{\Psi}(x_i, y_j, z_k) = e^{-iV(x_i, y_j, z_k)} \Psi(x_i, y_j, z_k)$$

$$C(i) = A(i) * B(i)$$

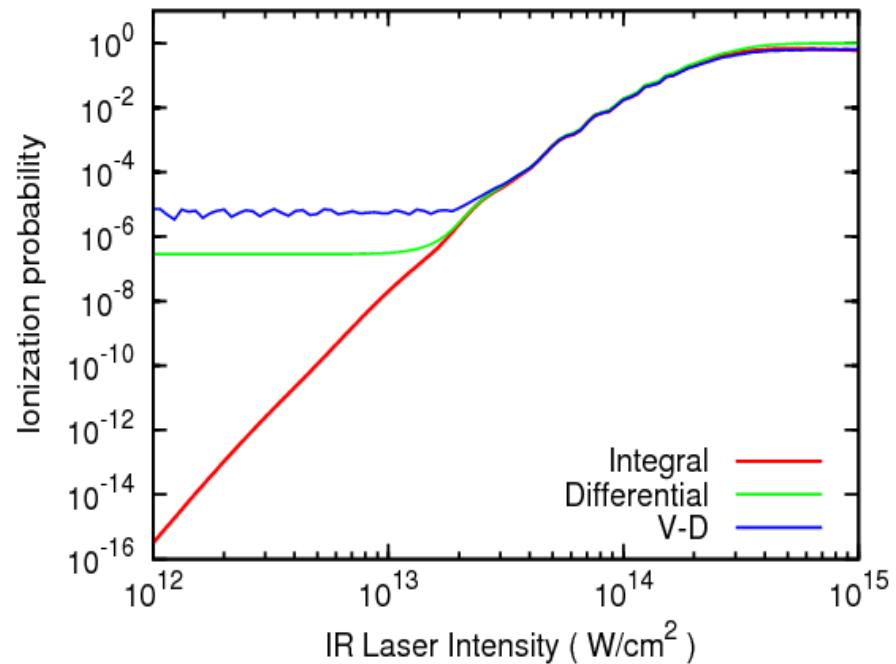
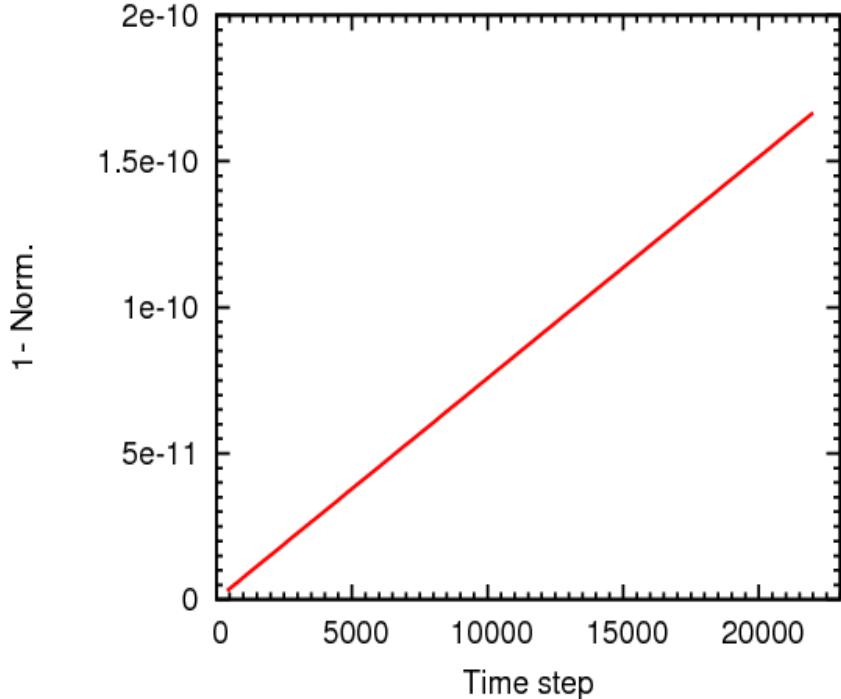
- ✧ PGI acc, OpenAcc      SIMD

# Numerical accuracy:

One time-step: random, round-off, double-complex,  $10^{-14}$  (norm)

Time propagation: systematic error:

✧ Numerical accuracy: real (kind=4, 8, 16), real(kind=12) ??



# Acknowledgments

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## Experiment Groups:

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